

Resolution studies in a MPGD-TPC with charge dispersion on a resistive anode

Presented by

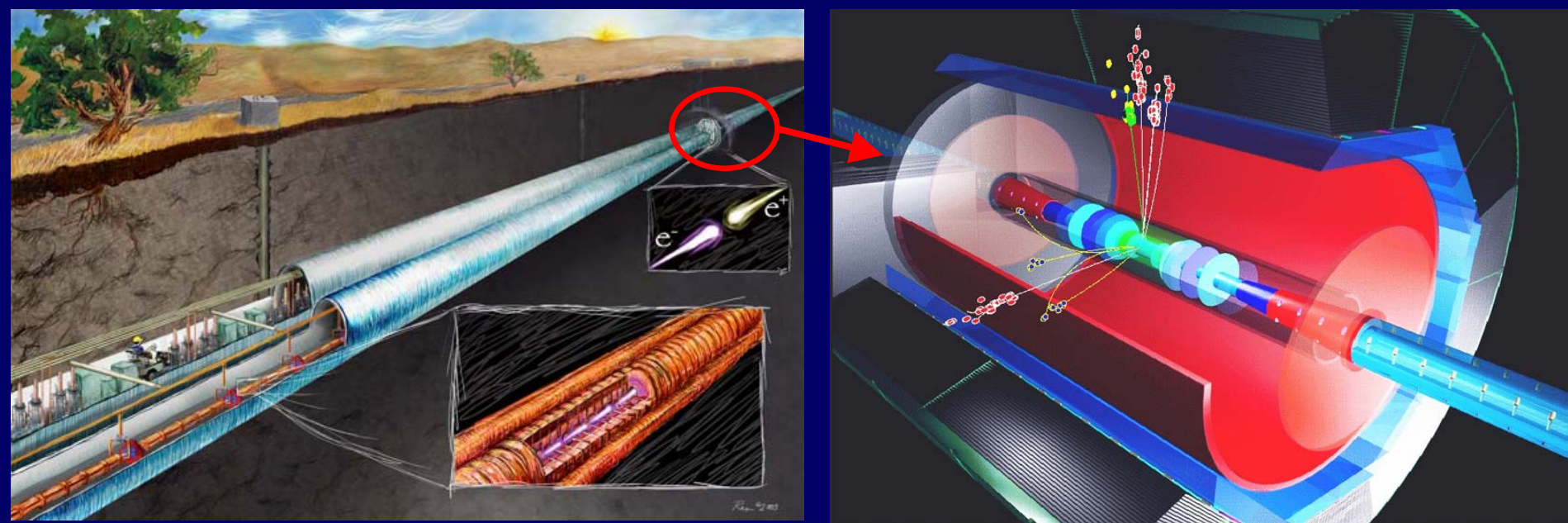
Khalil Boudjemline

On behalf of

A subset of the ILC-TPC R&D collaboration

- 1. ILC central tracking detector: the TPC**
- 2. Charge dispersion using a resistive anode**
- 3. KEK beam tests**
- 4. Results: comparison to cosmic data**
- 5. Summary**

Main Tracker at the International Linear Collider



Central (main) tracking requirement

- Excellent track reconstruction efficiency and momentum resolution over a large solid angle.
- Hermetic & minimized material.
- Robust, reliable, stable.....

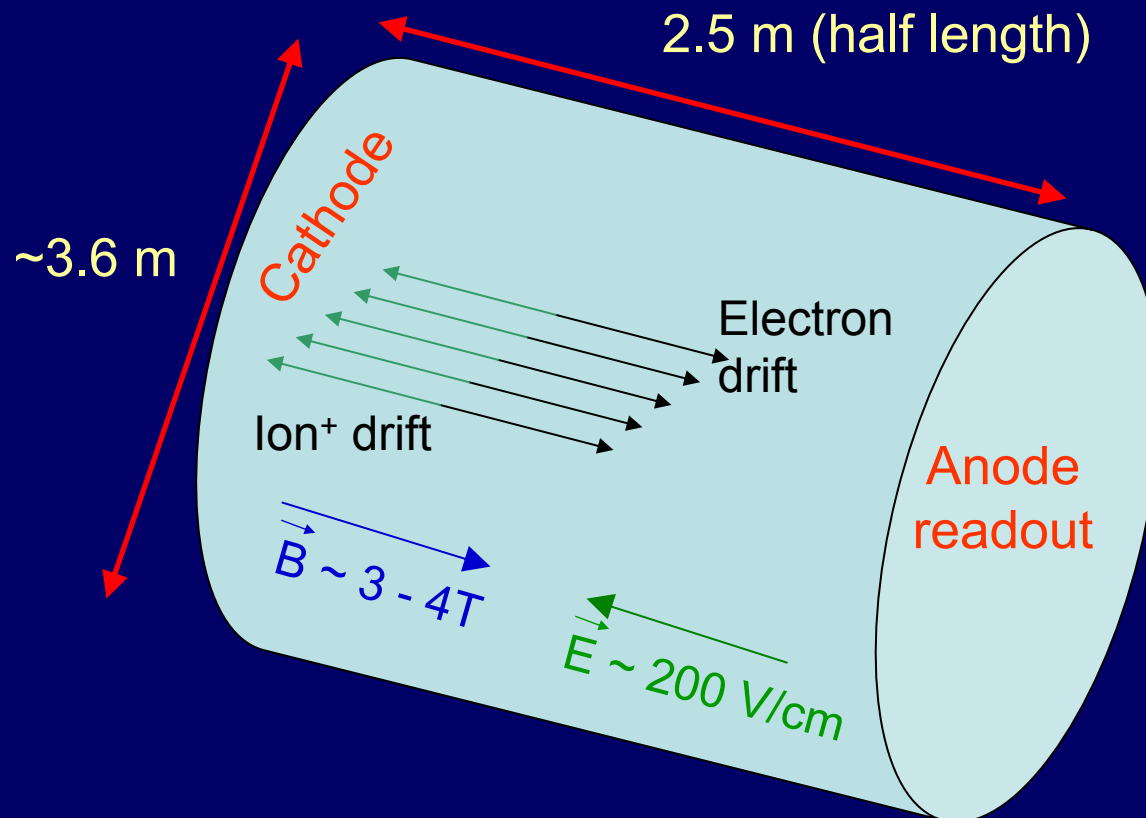
Time Projection Chamber

ILC-TPC challenge:

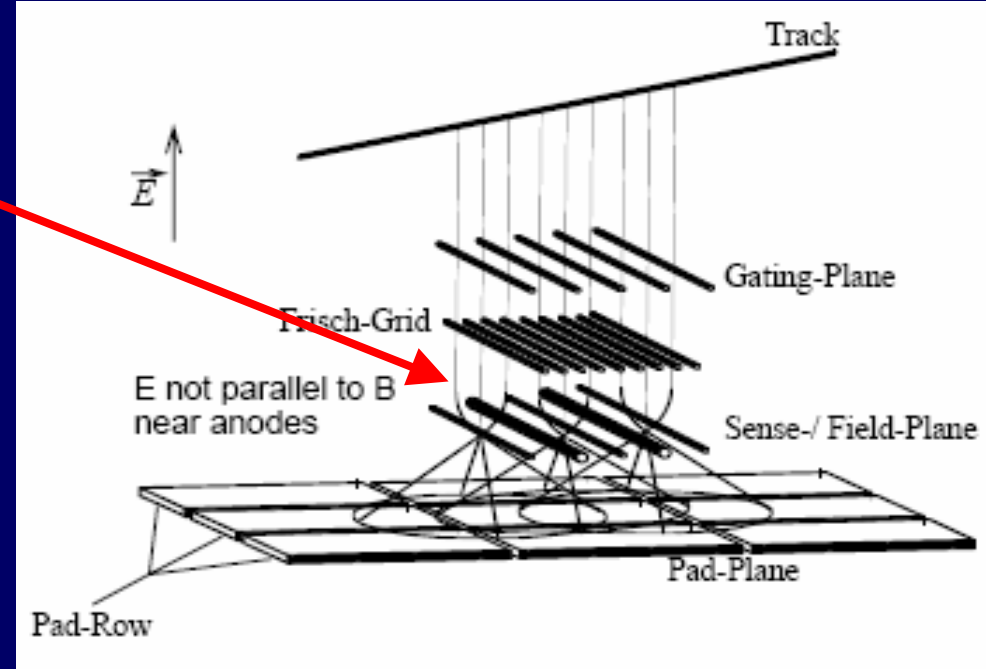
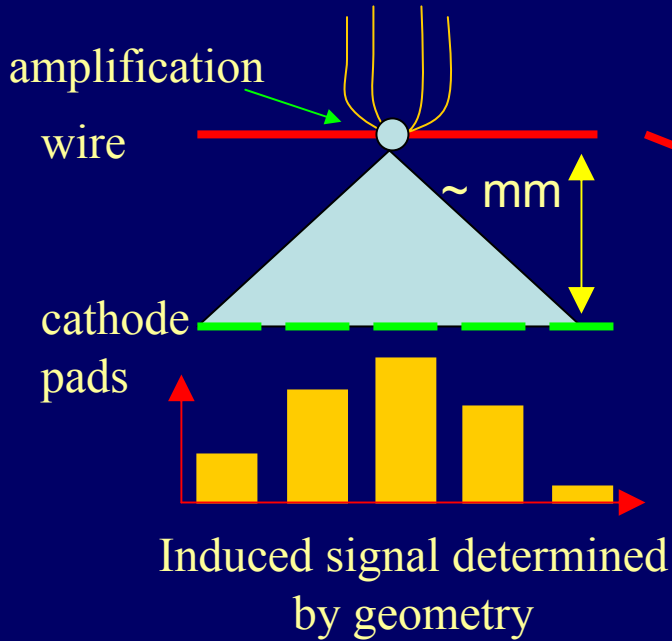
- $\sigma_x \sim 100 \mu\text{m}$, 200 pads, $\sim 2 \times 6 \text{ mm}^2$

near the ultimate limit from diffusion & electron statistics.

- the goal is ~ 2 times better than conventional TPC readout.



Traditional Readout: wire/pad



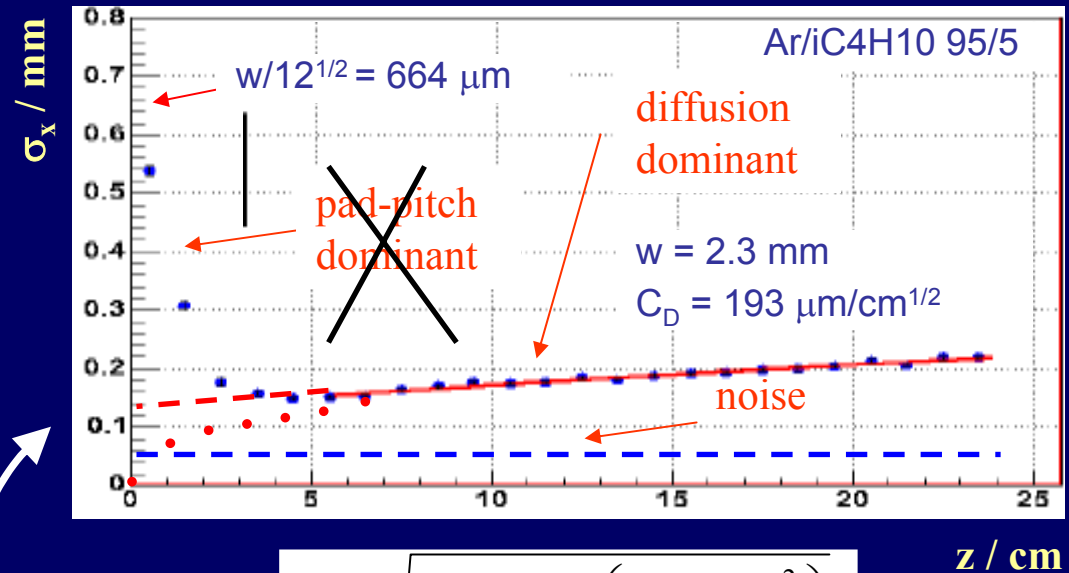
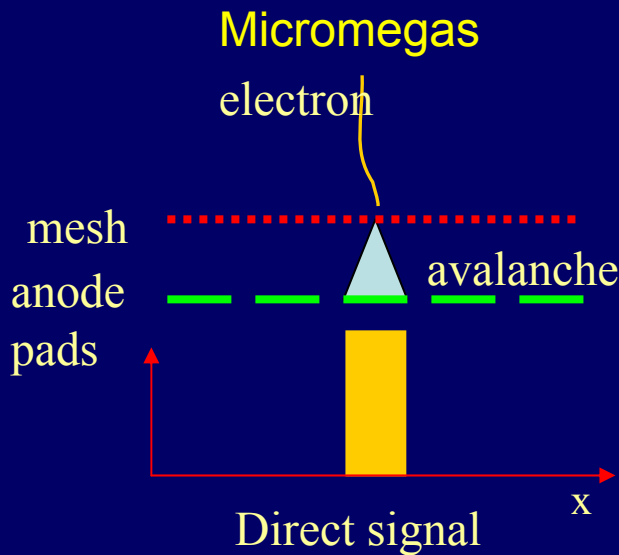
Disadvantage

- $E \times B$ effect and track angle systematic effect \rightarrow worse spatial resolution

Use the MPGD readout (Micromegas or GEM) to reduce the $E \times B$ effect.

Micro Pattern Gas Detectors

6



$$\sigma_x = \sqrt{\sigma_0^2 + \frac{1}{N_{\text{eff}}} \left(C_D^2 z + \frac{w^2}{12} \right)}$$

Solutions:

- 1- decrease by a factor >5 the pad width \rightarrow huge number of channels
- 2- diffuse the charge after the amplification
 \rightarrow impossible with Micromegas
 \rightarrow very difficult with GEM
- 3- set a resistive foil on the pad plane

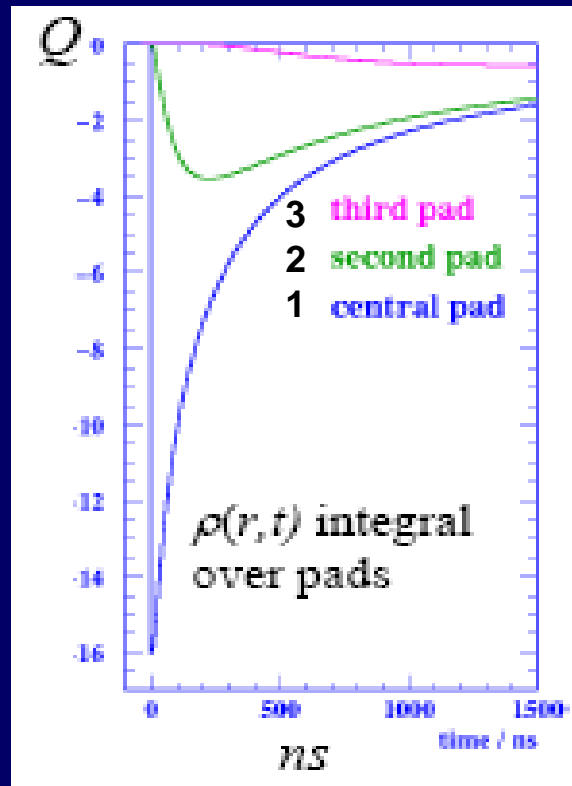
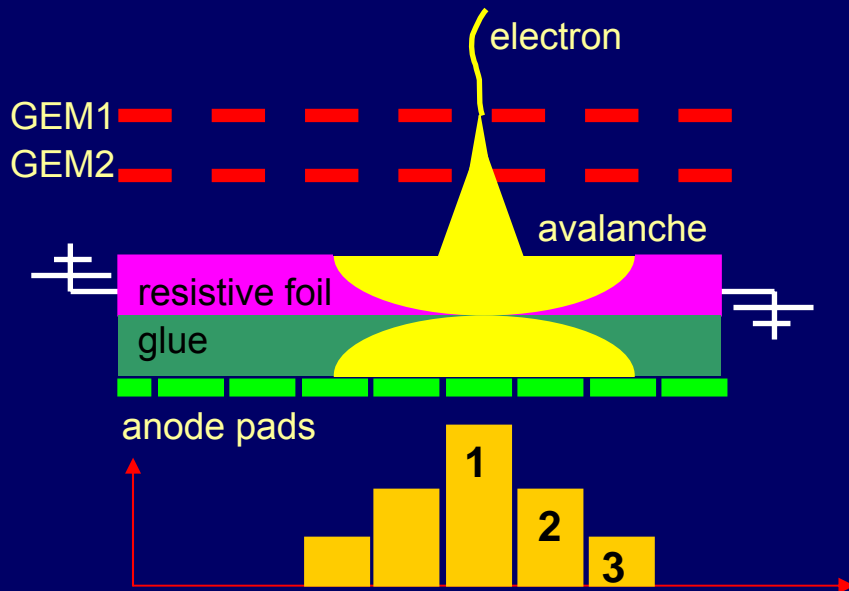
Resistive anode / charge dispersion

- a high resistivity film bonded to a readout plane with an insulating spacer
- 2 dim continuous RC network defined by material properties and geometry.
- point charge at $r = 0$ & $t = 0$ disperses with time.

$$\frac{\partial \rho}{\partial t} = \frac{1}{RC} \left[\frac{\partial^2 \rho}{\partial r^2} + \frac{1}{r} \frac{\partial \rho}{\partial r} \right]$$

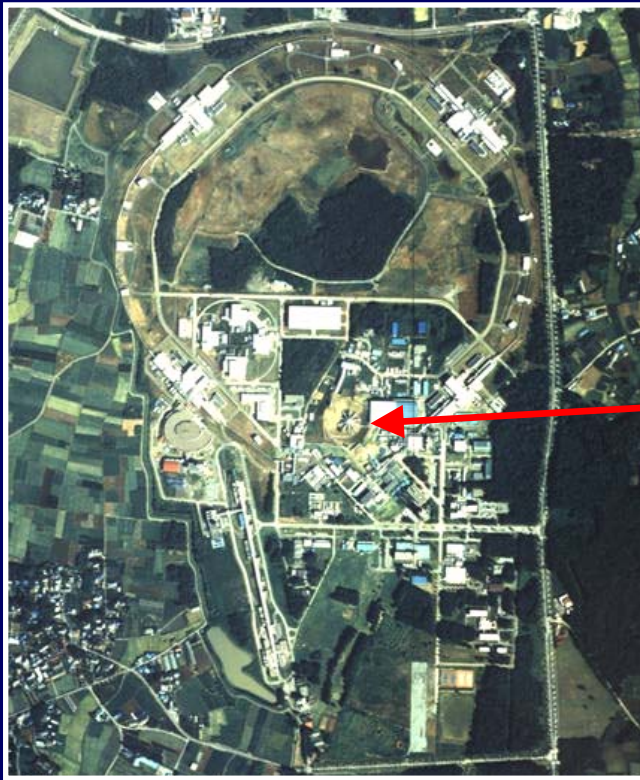
$$\Rightarrow \rho(r, t) = \frac{RC}{2t} e^{-\frac{r^2 RC}{4t}}$$

Double GEM + resistive anode



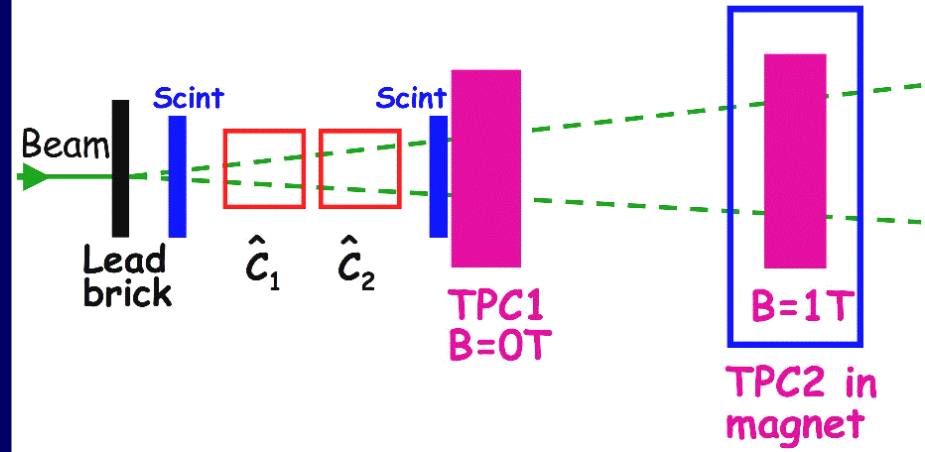
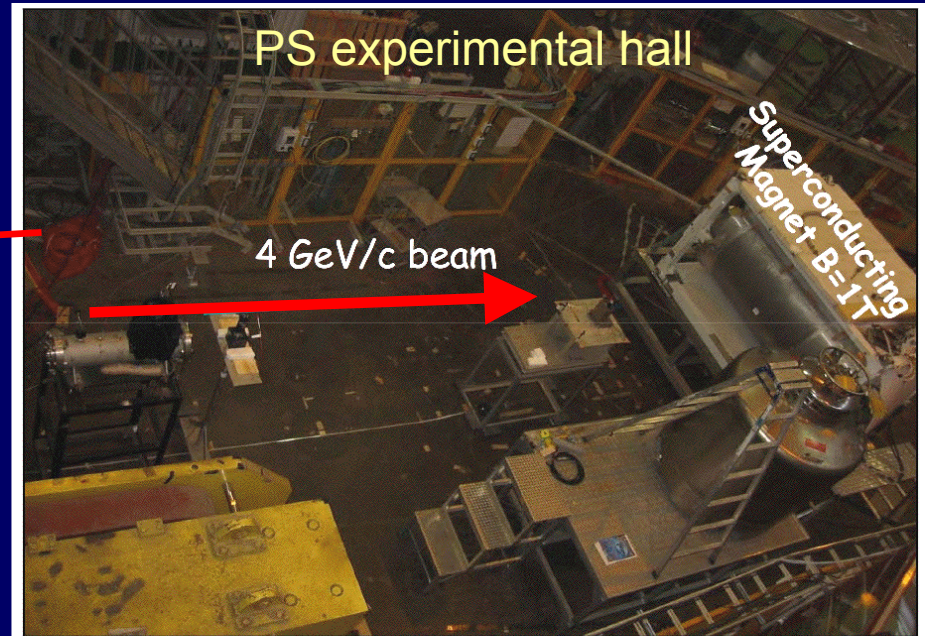
KEK beam test

8



KEK complex, Tsukuba, Japan

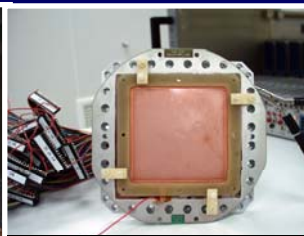
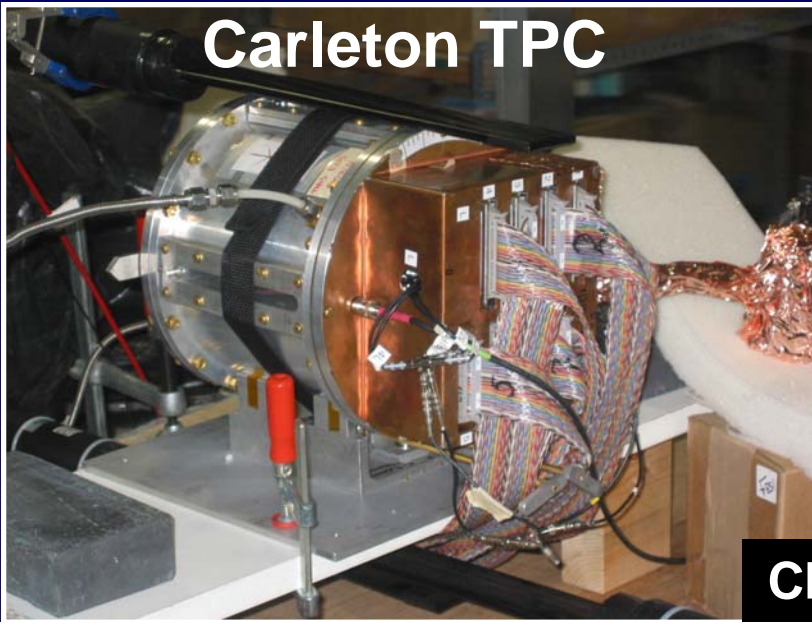
- 4 GeV/c hadrons
- 0.5 & 1 GeV/c electrons
- Super conducting 1.2 T magnet
- Inner diameter : 850 mm
- Effective length: 1 m



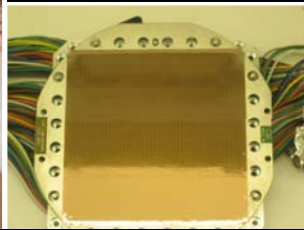
Tested prototypes

9

Carleton TPC

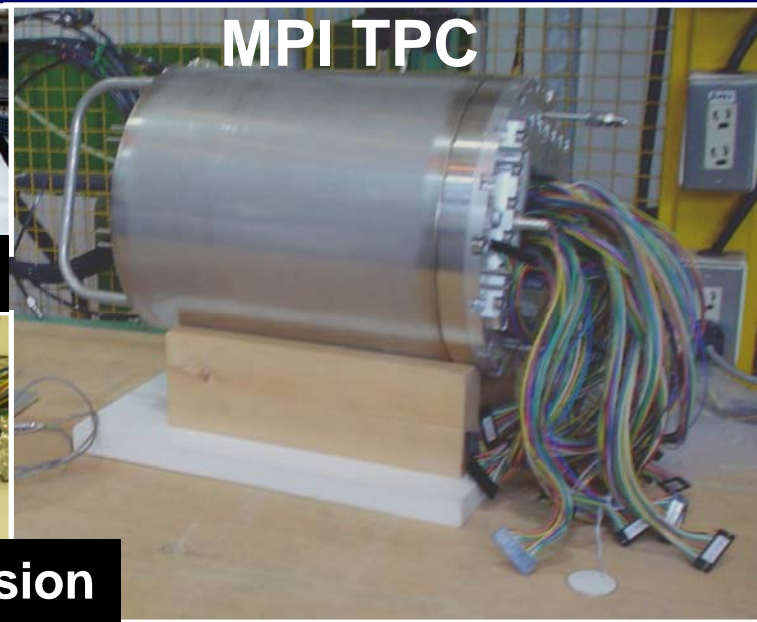


Micromegas



Charge dispersion
readout endplate

MPI TPC



- Micromegas $10 \times 10 \text{ cm}^2$
- Drift distance: 16 cm
- 126 pads, $2 \times 6 \text{ mm}^2$ each in 7 rows
- ALEPH preamps + 200 MHz FADCs

- Micromegas & GEMs $10 \times 10 \text{ cm}^2$
- Drift distance: 25 cm
- 384 pads, $2.3 \times 6.3 \text{ mm}^2$ each in 16 rows
- ALEPH preamps + 11 MHz Aleph Time Projection Digitizers

CANADA



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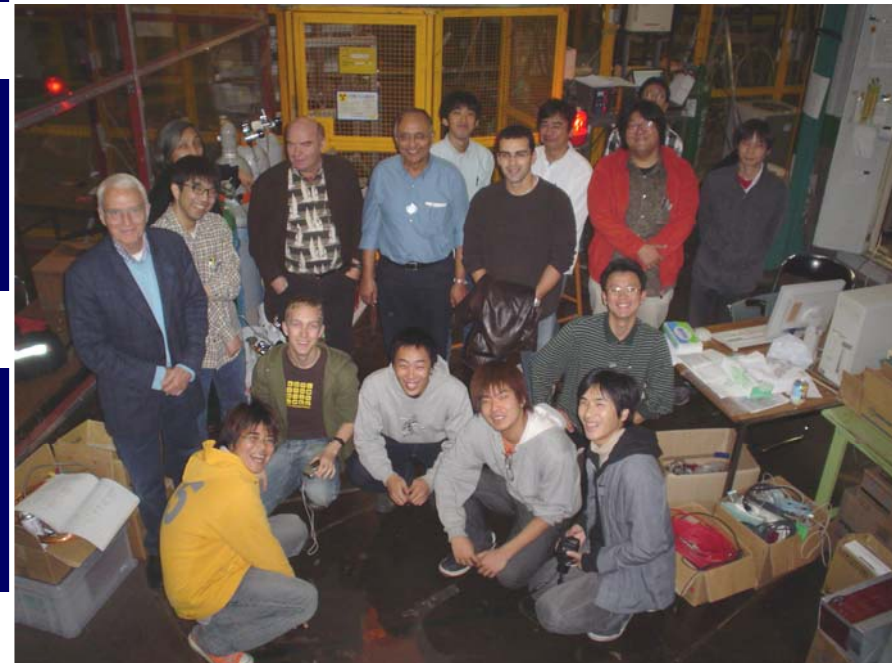
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Tokyo University of Agriculture & Technology: *M. Habu, S. Matsushita, K. Nakamura & O. Nito*



Example of a track

CARLETON-TPC TRACK DISPLAY

1 2 3 4 5 6 7 8 9 10

EXIT

File Edit View Options Inspect Classes Help

EXEC track RESET

Event 9 Time = 1527 Z = 15.30 cm

1 2 3 4 5 6 7

ADC

time / bin

main pulse

ADC

time / bin

ADC

time / bin

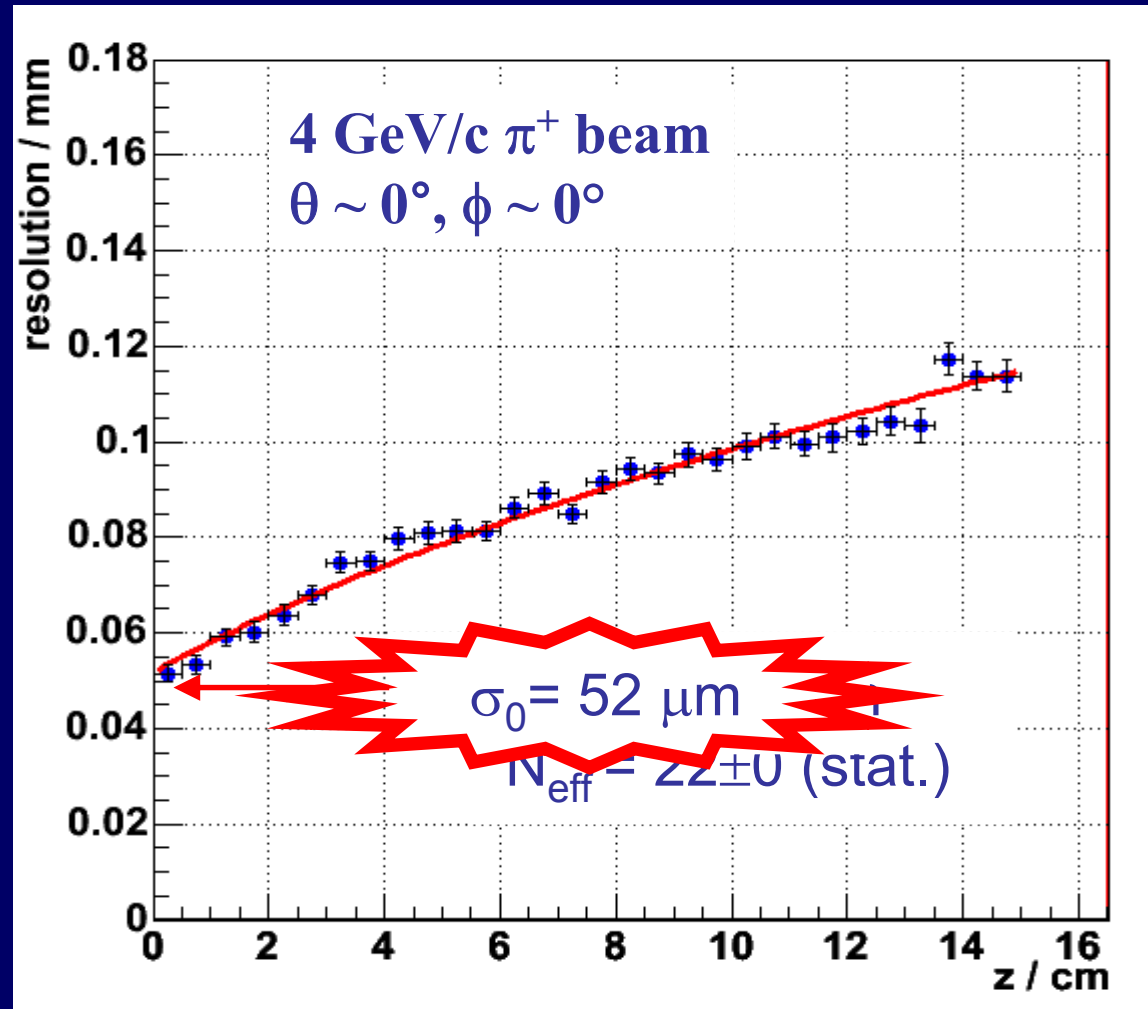
Transverse Spatial Resolution

12

Carleton TPC

- Ar/iC4H10 95/5
- 2 X 6 mm² pads
- B = 1 T
→ C_D = 125 μm/cm^{1/2}

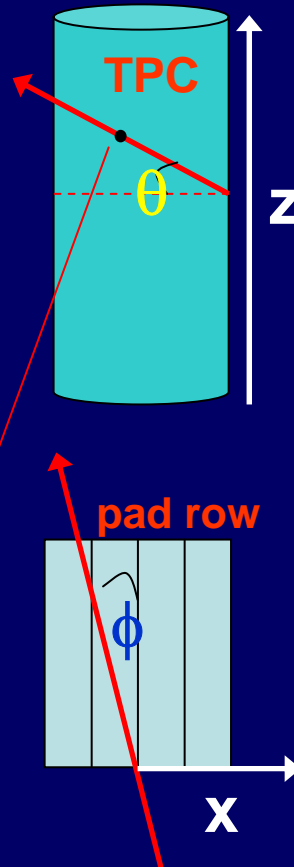
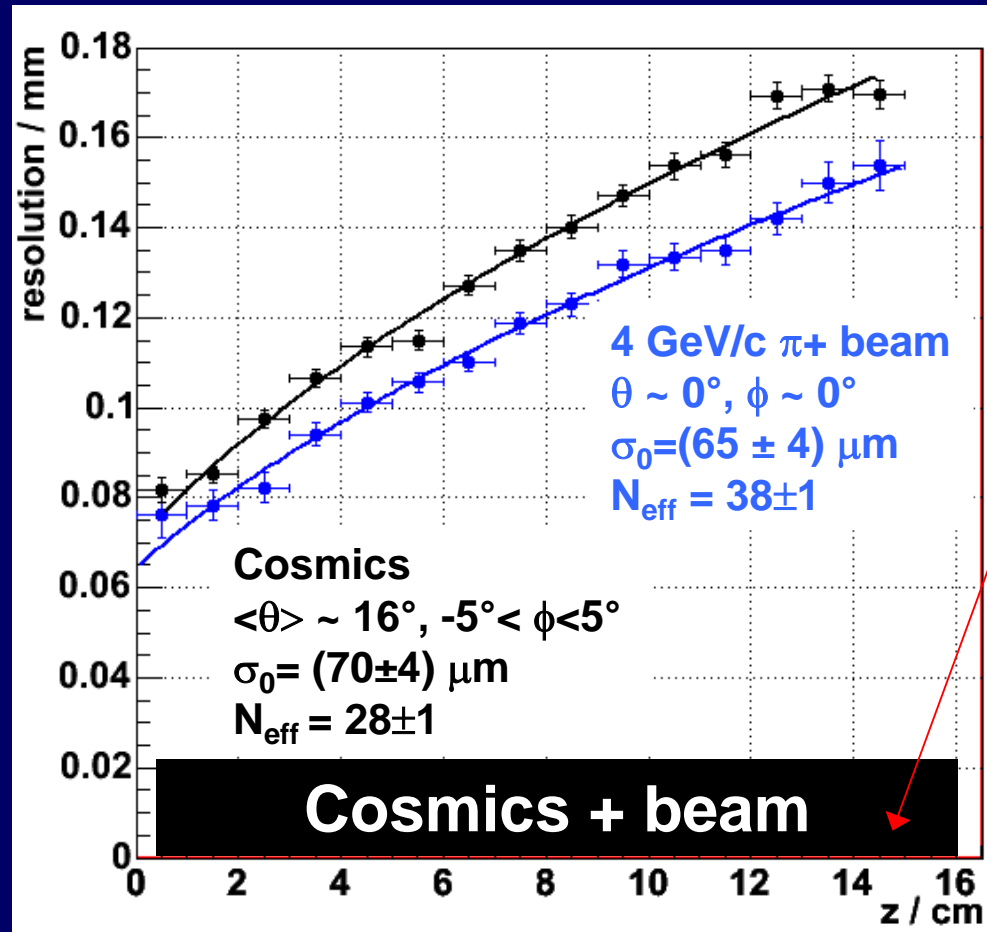
$$\sigma_x = \sqrt{\sigma_0^2 + \frac{C_D^2 z}{N_{eff}}}$$



Transverse Spatial Resolution

- Ar/CO2 90/10
- 2 X 6 mm² pads
- B = 0 T
→ C_D = 223 μm/cm^{1/2}

Carleton TPC



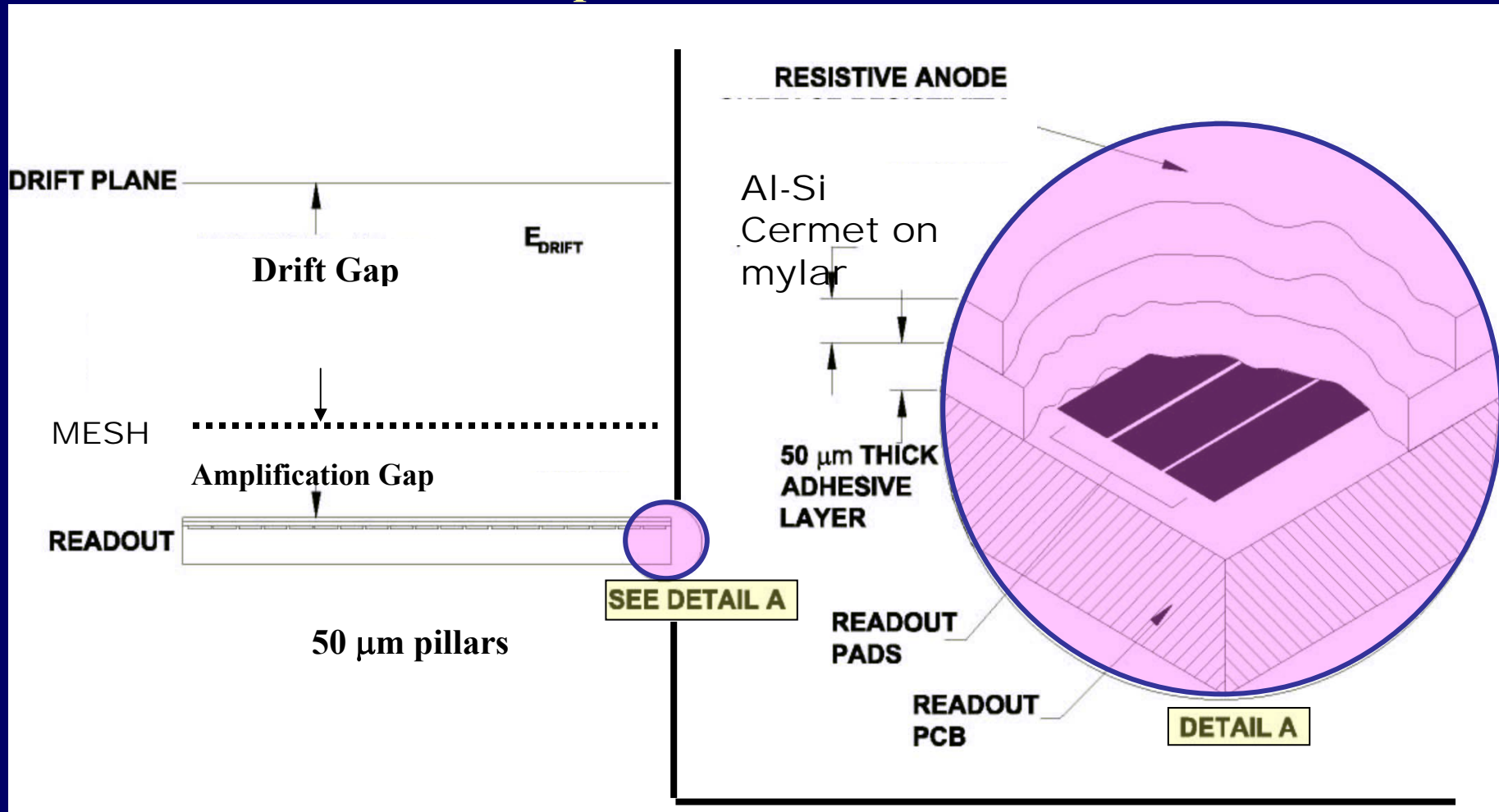
$$\sigma_x = \sqrt{\sigma_0^2 + \frac{C_D^2 z}{N_{eff}}}$$

- A first demonstration of the charge dispersion readout concept for the MPGD-TPC in a magnetic field.
- $\sim 50 \mu\text{m}$ spatial resolution for short drift distances with $2 \times 6 \text{ mm}^2$ pads in a 1 T magnetic field.
- With smaller transverse diffusion at $\sim 4 \text{ T}$ magnetic field, the $100 \mu\text{m}$ resolution goal appears within reach for the ILC-TPC using a resistive anode.

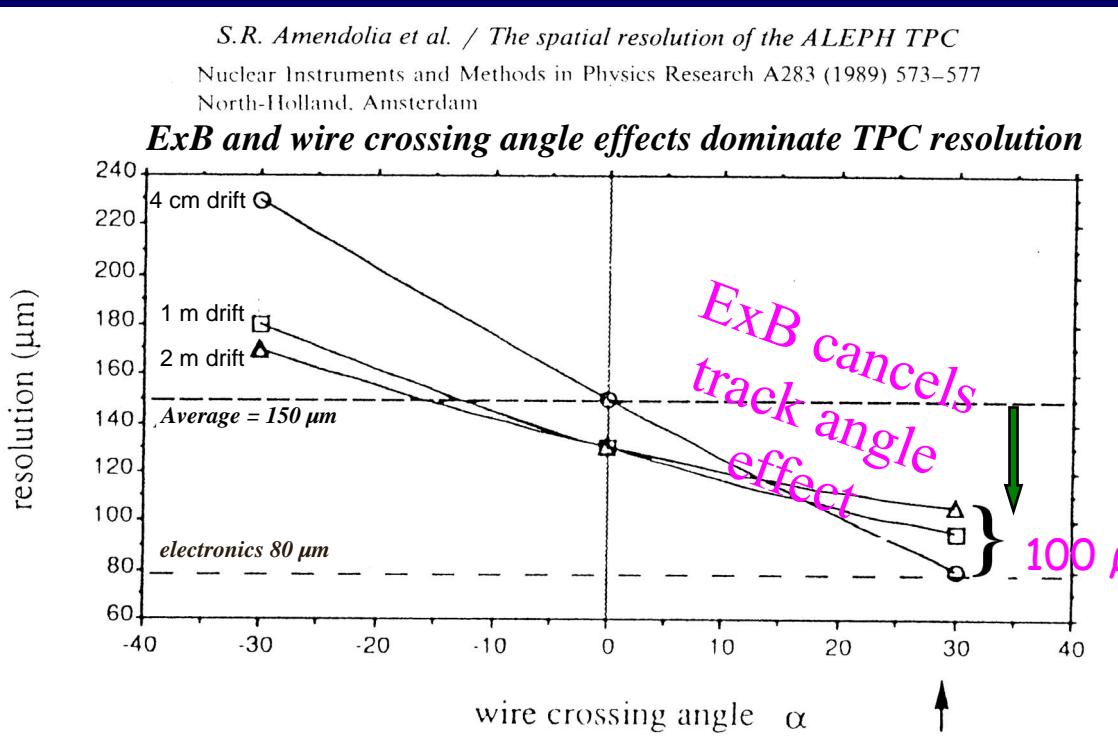
Future

Cosmic tests at DESY this summer at 4T.
Built a large prototype TPC.

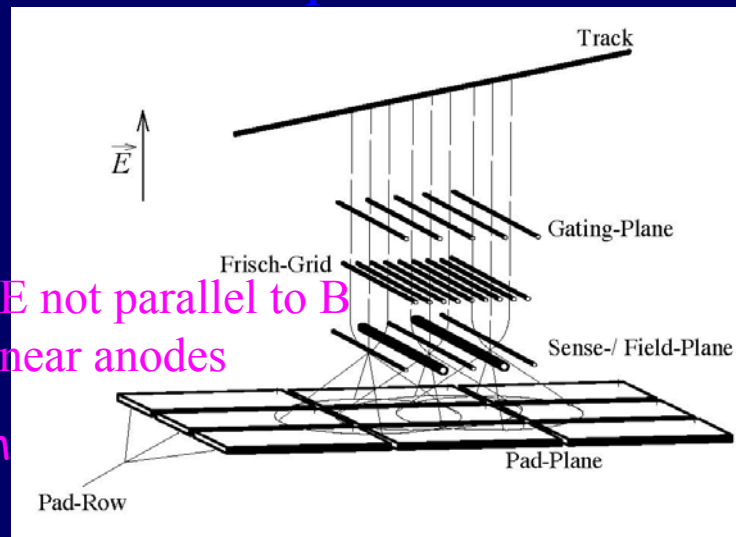
Micromegas with a resistive anode for the charge dispersion readout



When there is no ExB effect, the wire/pad TPC resolution approaches the diffusion limit for the Aleph TPC



TPC wire/pad readout

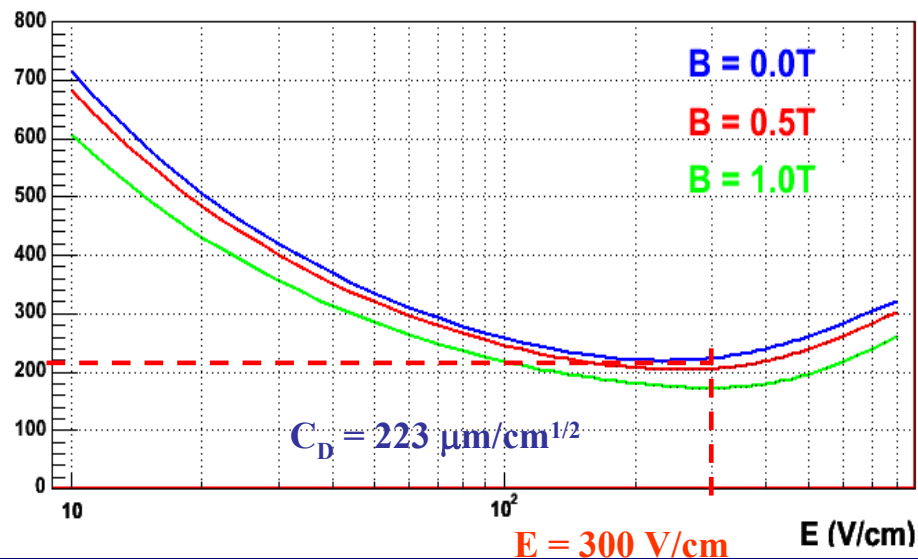
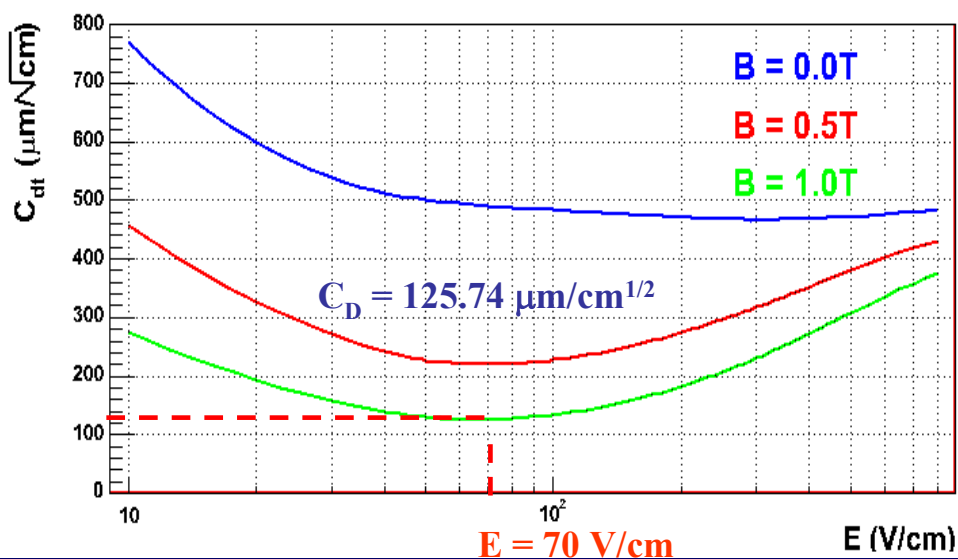
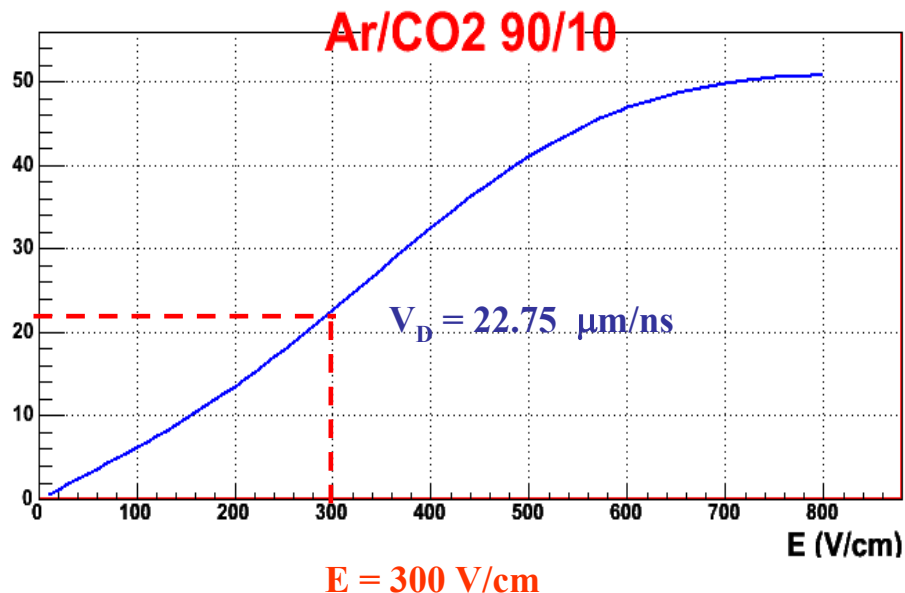
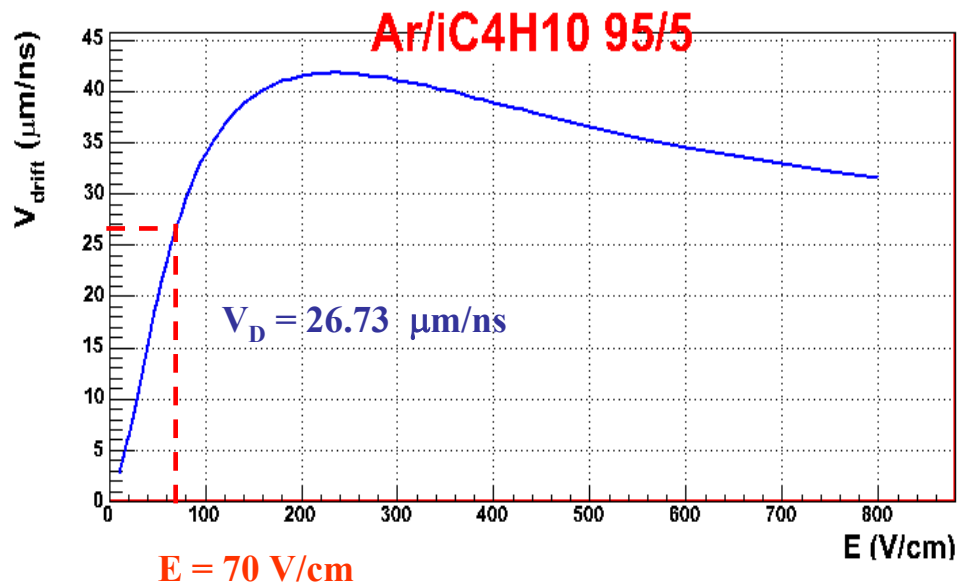


Average Aleph resolution $\sim 150 \mu\text{m}$.

Resolution $\sim 100 \mu\text{m}$ even for 2 m drift.

Limit from diffusion σ (10 cm drift) $\sim 15 \mu\text{m}$; σ (2 m drift) $\sim 60 \mu\text{m}$.

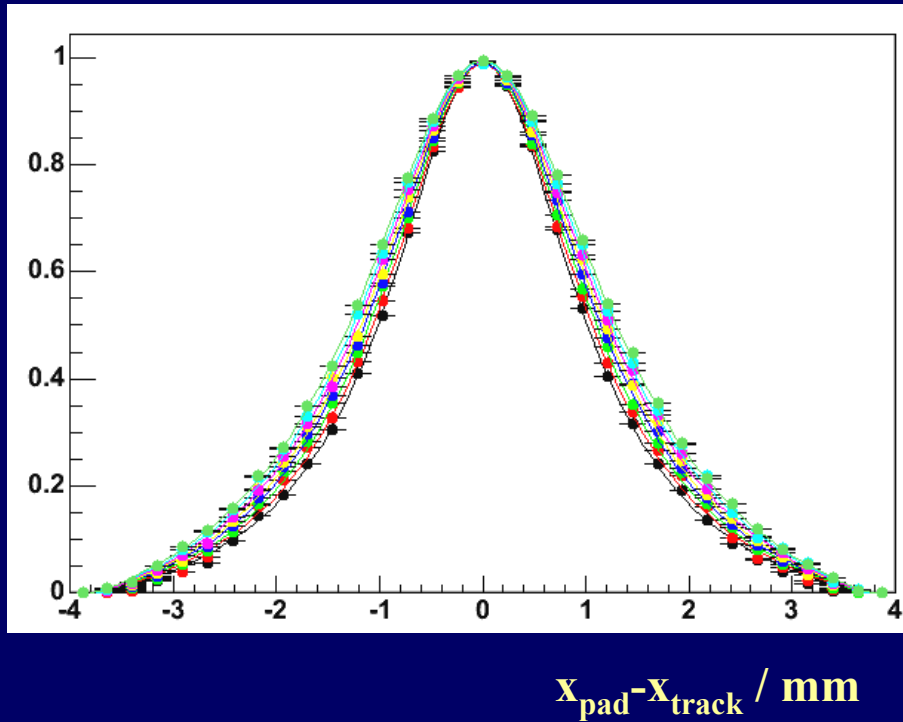
Beam test motivations



Pad Response Function

Ar/iC4H10 95/5

relative amplitude

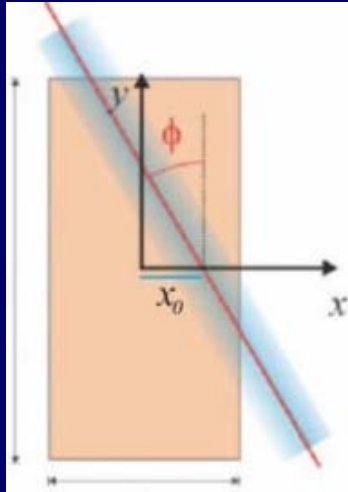


- 14 < z < 15cm
- 12 < z < 13cm
- 10 < z < 11cm
- 8 < z < 9cm
- 6 < z < 7cm
- 4 < z < 5cm
- 2 < z < 3cm
- 0 < z < 1cm



$$PRF[x, \Gamma(z), \Delta, a, b] = \frac{1 + a_2 x^2 + a_4 x^4}{1 + b_2 x^2 + b_4 x^4}$$

track



2 mm

- using the PRF to fit the pad signals

- track fit: linear fit $x_{track} = x_0 + \tan(\phi) y_{row}$

- χ^2 minimization

$\rightarrow x_0$ and ϕ

$$\chi^2 = \sum_{rows} \sum_{i=pads} \left(\frac{A_i - PRF_i}{\partial A_i} \right)^2$$

Definitions:

- residual: $x_{row} - x_{track}$

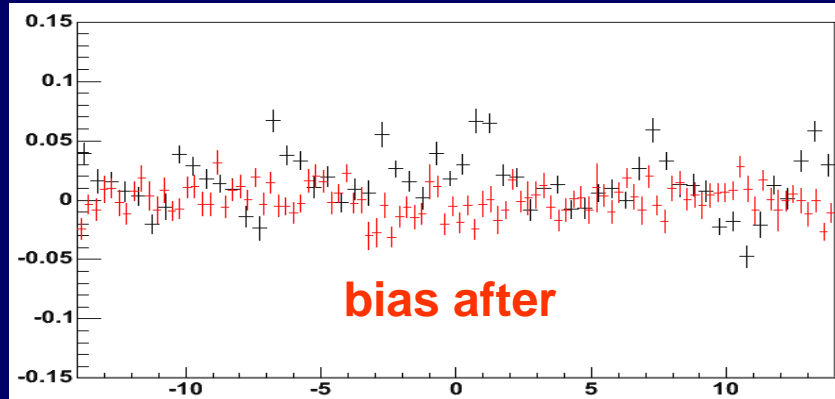
- bias: mean of $x_{row} - x_{track} = f(x_{track})$

- resolution: σ of the residuals

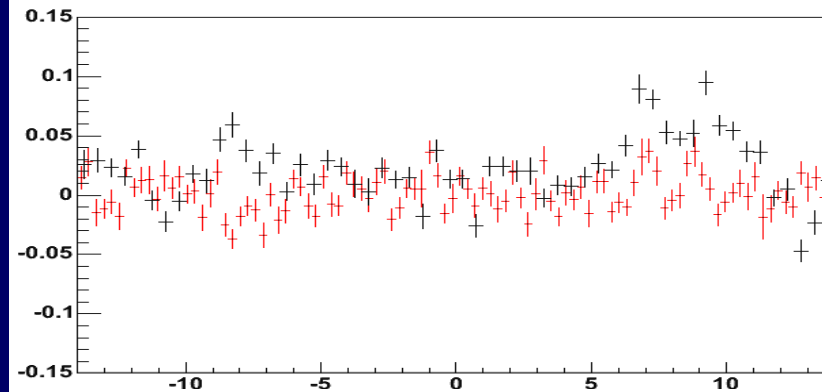
Bias for central rows

row 3

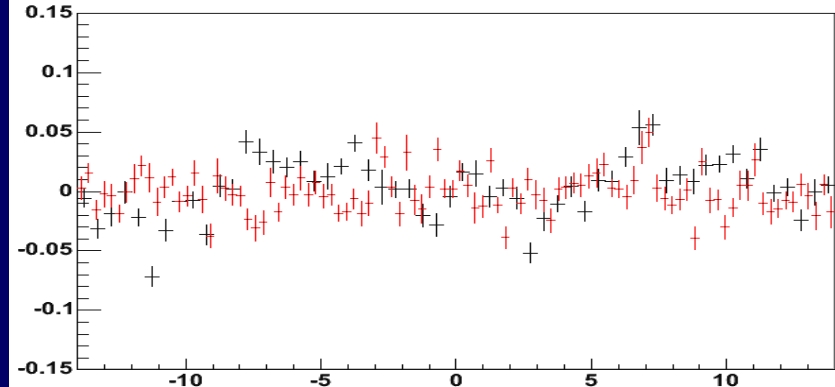
Residual / mm



row 4

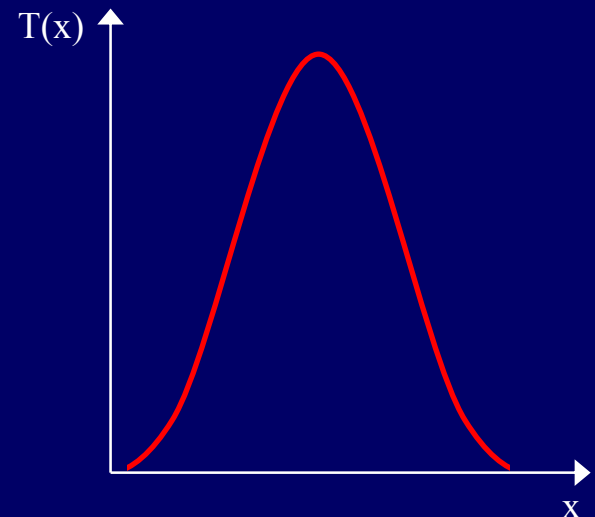
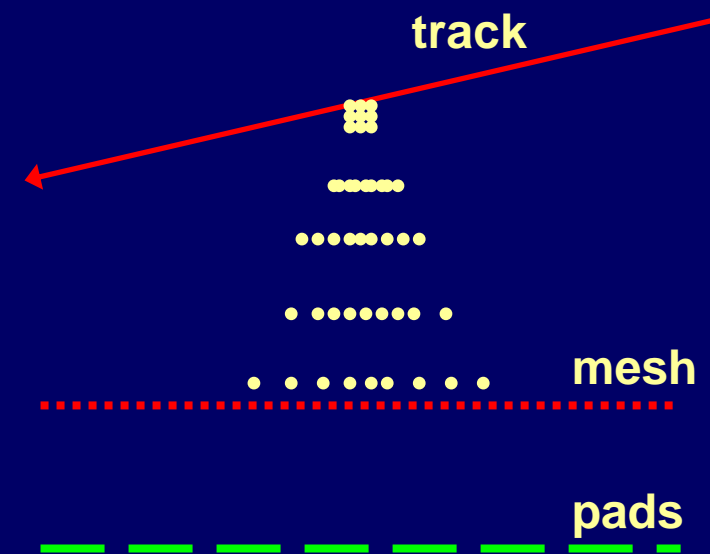
 $\pm 20 \mu\text{m}$

row 5

 $x_{\text{track}} / \text{mm}$

Pulse shape origin

Transverse diffusion	$T(x) = \frac{1}{\sigma_x \sqrt{2\pi}} \exp\left(\frac{-x^2}{2\sigma_x^2}\right)$
Longitudinal diffusion	$L(t) = \frac{1}{\sigma_t \sqrt{2\pi}} \exp\left(\frac{-t^2}{2\sigma_t^2}\right)$
Intrinsic rise time	$R(t) = \frac{t}{T_{rise}} \quad \text{for } 0 < t < T_{rise}$ $= 1 \quad \text{for } t > T_{rise}$ $= 0 \quad \text{for } t < 0$
Preamplifier effect	$A(t) = \exp\left(-\frac{t}{t_f}\right) \left(1 - \exp\left(\frac{t}{t_r}\right)\right) \quad \text{for } t > 0$ $= 0 \quad \text{for } t < 0$
Resistive foil + glue	$\rho(x, y, t) = \left(\frac{1}{\sigma_t \sqrt{\pi th}}\right)^2 \exp\left(\frac{-(x^2 + y^2)}{4th}\right)$ $h = 1/RC$



Pulse shape origin

22

Transverse diffusion

$$T(x) = \frac{1}{\sigma_x \sqrt{2\pi}} \exp\left(\frac{-x^2}{2\sigma_x^2}\right)$$

Longitudinal diffusion

$$L(t) = \frac{1}{\sigma_t \sqrt{2\pi}} \exp\left(\frac{-t^2}{2\sigma_t^2}\right)$$

Intrinsic rise time

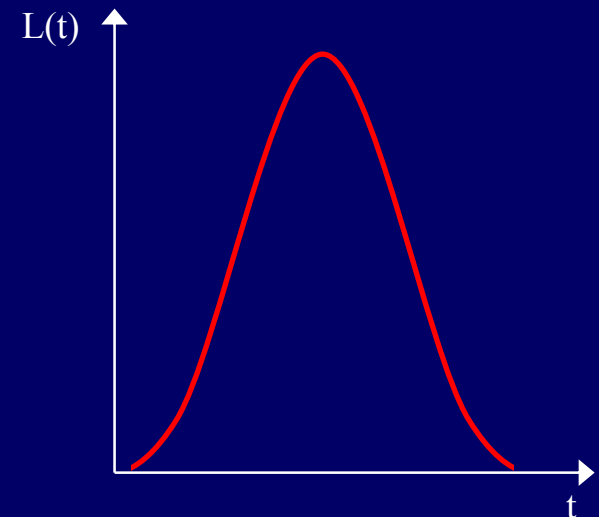
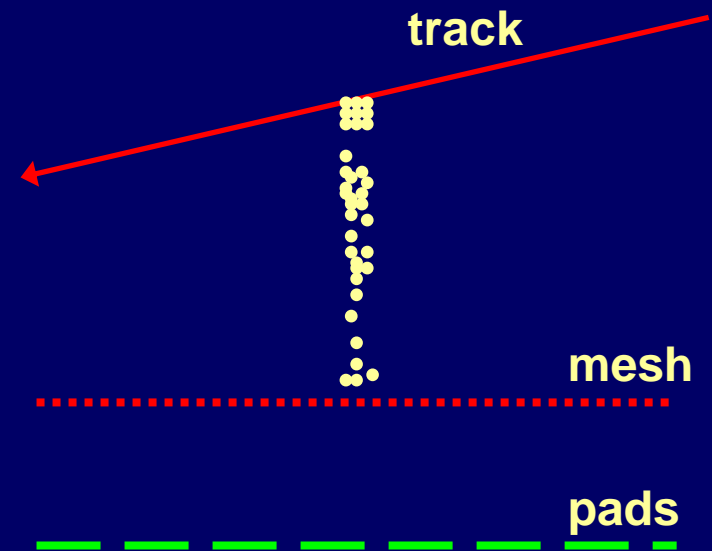
$$R(t) = \begin{cases} \frac{t}{T_{rise}} & \text{for } 0 < t < T_{rise} \\ 1 & \text{for } t > T_{rise} \\ 0 & \text{for } t < 0 \end{cases}$$

Preamplifier effect

$$A(t) = \begin{cases} \exp\left(-\frac{t}{t_f}\right) \left(1 - \exp\left(\frac{t}{t_r}\right)\right) & \text{for } t > 0 \\ 0 & \text{for } t < 0 \end{cases}$$

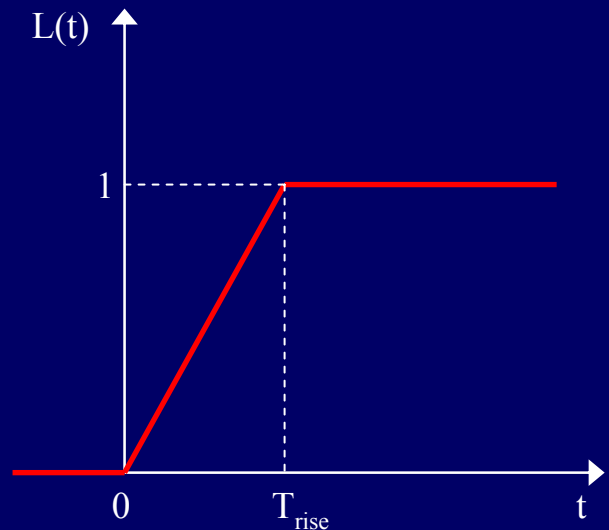
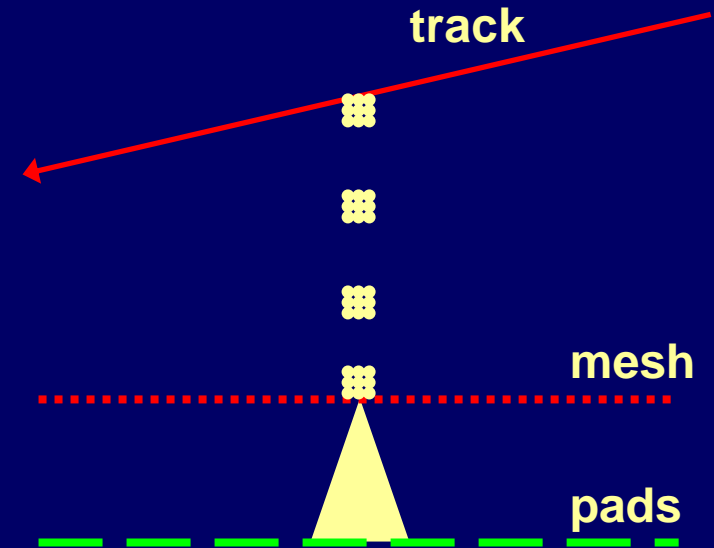
Resistive foil + glue

$$\rho(x, y, t) = \left(\frac{1}{\sigma_t \sqrt{\pi th}}\right)^2 \exp\left(\frac{-(x^2 + y^2)}{4th}\right)$$
$$h = 1/RC$$



Pulse shape origin

Transverse diffusion	$T(x) = \frac{1}{\sigma_x \sqrt{2\pi}} \exp\left(\frac{-x^2}{2\sigma_x^2}\right)$
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Pulse shape origin

24

Transverse diffusion

$$T(x) = \frac{1}{\sigma_x \sqrt{2\pi}} \exp\left(\frac{-x^2}{2\sigma_x^2}\right)$$

Longitudinal diffusion

$$L(t) = \frac{1}{\sigma_t \sqrt{2\pi}} \exp\left(\frac{-t^2}{2\sigma_t^2}\right)$$

Intrinsic rise time

$$R(t) = \begin{cases} \frac{t}{T_{rise}} & \text{for } 0 < t < T_{rise} \\ 1 & \text{for } t > T_{rise} \\ 0 & \text{for } t < 0 \end{cases}$$

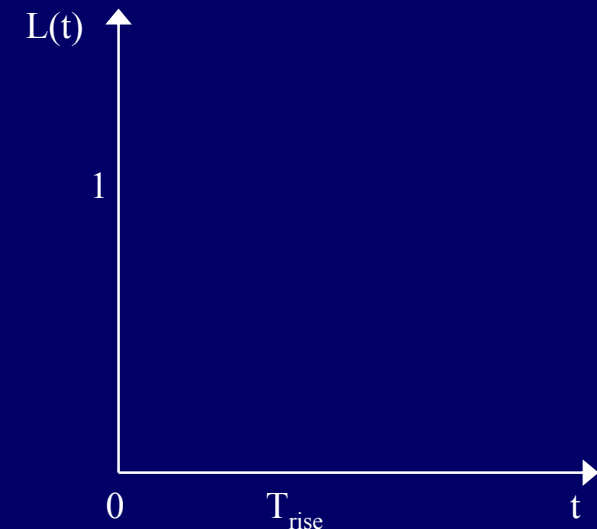
Preamplifier effect

$$A(t) = \begin{cases} \exp\left(-\frac{t}{t_f}\right) \left(1 - \exp\left(-\frac{t}{t_r}\right)\right) & \text{for } t > 0 \\ 0 & \text{for } t < 0 \end{cases}$$

Resistive foil + glue

$$\rho(x, y, t) = \left(\frac{1}{\sigma_t \sqrt{\pi th}}\right)^2 \exp\left(\frac{-(x^2 + y^2)}{4th}\right)$$

$$h = 1/RC$$



Pulse shape origin

25

Transverse diffusion

$$T(x) = \frac{1}{\sigma_x \sqrt{2\pi}} \exp\left(\frac{-x^2}{2\sigma_x^2}\right)$$

Longitudinal diffusion

$$L(t) = \frac{1}{\sigma_t \sqrt{2\pi}} \exp\left(\frac{-t^2}{2\sigma_t^2}\right)$$

Intrinsic rise time

$$\begin{aligned} R(t) &= \frac{t}{T_{rise}} \quad \text{for } 0 < t < T_{rise} \\ &= 1 \quad \text{for } t > T_{rise} \\ &= 0 \quad \text{for } t < 0 \end{aligned}$$

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Resistive foil + glue

$$\rho(x, y, t) = \left(\frac{1}{\sigma_t \sqrt{\pi h}}\right)^2 \exp\left(\frac{-(x^2 + y^2)}{4th}\right)$$

$$h = 1/RC$$

see slide 6